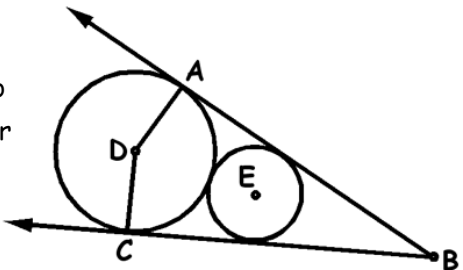


# Workout Qh4#

- \_\_\_\_\_ cm The area of a rectangle is  $9,600\text{cm}^2$ . The perimeter is  $392\text{cm}$ . What is the length of the longer side of the rectangle?
- \_\_\_\_\_ What is the sum of  $1726$  base 8 and  $234$  base 6? Express your answer in base 10.
- \_\_\_\_\_ mL Bob has three beakers. Each beaker can hold  $50\text{mL}$  of potion. Beaker A has  $18\text{mL}$  of poison potion, beaker B has  $39\text{mL}$  of antidote liquid, and the beaker C has  $32\text{mL}$  of honey. If Bob pours from beaker A into C, then from B to A, then from C to A, and ends up with a  $50\text{mL}$  solution of  $30\%$  poison,  $30\%$  antidote, and  $40\%$  honey in beaker A, how many mL of potion did Bob pour from beaker A to beaker C?
- \_\_\_\_\_ The set of 11 positive integers  $\{1, 3, 3, a, 4, 6, 6, b, c, 7, 7\}$  in increasing order has a unique mode, and the mean of the set is four and eight-elevenths. What is the product of the missing numbers  $a, b,$  and  $c$ ?
- \_\_\_\_\_ in<sup>2</sup> Find the area of trapezoid ABCD where AB and CD are bases if  $AB=5\text{in}$ ,  $BC=9\text{in}$ ,  $CD=13\text{in}$ , and  $DA=15\text{in}$ . Express your answer in simplest radical form.
- \_\_\_\_\_ There are four unknown single digit positive integers that will be represented by the letters M,O,A, and N. Using the following equation, find  $M+O+A+N$ .
 

	<b>MOON</b>
x	<b>MAN</b>
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	<b>MAN75N</b>
- \_\_\_\_\_ cm<sup>2</sup> Jerry has six toothpicks, each  $5\text{cm}$  long. What is the area of the largest figure these six toothpicks can encompass? Express your answer to the nearest hundredth in centimeters squared.
- \_\_\_\_\_ Information in Allan's brain travels along paths in a Cartesian plane. Any input of information into Allan's brain starts from the origin  $(0, 0)$  and travels to the point  $(9, 6)$ , where Allan processes the information. All paths must go positively in the  $x$  and  $y$  direction. However, Allan has mental blocks, and no information may pass through the points  $(5, 5)$  and  $(4, 3)$ . How many distinct paths can information travel from  $(0,0)$  to  $(9,6)$ ?
- \_\_\_\_\_ Circles D and E have radii 5 and 3 respectively. The circles are tangent to lines AB and CB, and tangent to each other. Find the area of kite ABCD. Express your answer in simplest radical form.
 
- \_\_\_\_\_ ( , , ) Solve the following system of equations:
 
$$2x + 3y - 5z = 163$$

$$x + 4y - \frac{1}{2}z = 166$$

$$5x - y - z = 230$$